



Role of ripple and ergodic magnetic field in ELM mitigation

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Outlook

- Transport due to ergodic magnetic field- first principles;
- “Unusual” experimental results;
- Ergodic transport and ELM modelling in JETTO;
- What we can and what we can not explain in the modelling;
- Similarity between Resonance Magnetic Perturbation (RMP) and ripple.



Transport due to ergodic magnetic field- first principles 1/2

- In case of static magnetic perturbation stochastic diffusion results from the overlap of magnetic islands (Rechester, Rosenbluth etc):

$$W_{m,n} = \sqrt{\frac{16qr}{mq'} \frac{\tilde{B}_r}{B_\theta}(r_{m,n})} \quad \text{- Island width;}$$

- Onset of stochastisity corresponds to island overlap criterion:

$$W_{m,n} \geq \Delta_{m, m+1} \approx 1/k_\theta s;$$

- In this case one can introduce diffusion of magnetic field line, D_M :

$D_M = \pi q R (B_r/B_0)^2$, which can be related to stochastic diffusion of electrons and ions:



Transport due to ergodic magnetic field- first principles 2/2

$$\chi_e^{RMP} \approx D_M V_{Te} \frac{1}{1 + \frac{\pi q R \cdot v_e}{V_{Te}}} \propto D_M \sqrt{\frac{T_e}{m_e}} \cdot \frac{1}{1 + \alpha \cdot \frac{n_e}{T_e^2}}$$

$$\chi_i^{RMP} \approx D_{particle}^{RMP} \approx \chi_e \cdot \sqrt{\frac{m_e}{M_i}}$$

$$\chi_{\Sigma} \approx \chi_{\perp} + \chi_{\parallel}^{RMP}$$

- Therefore it is expected that stochastic magnetic field increases electron transport in first place;
- It is also expected that stochastic transport strongly decreases with collisionality (density);

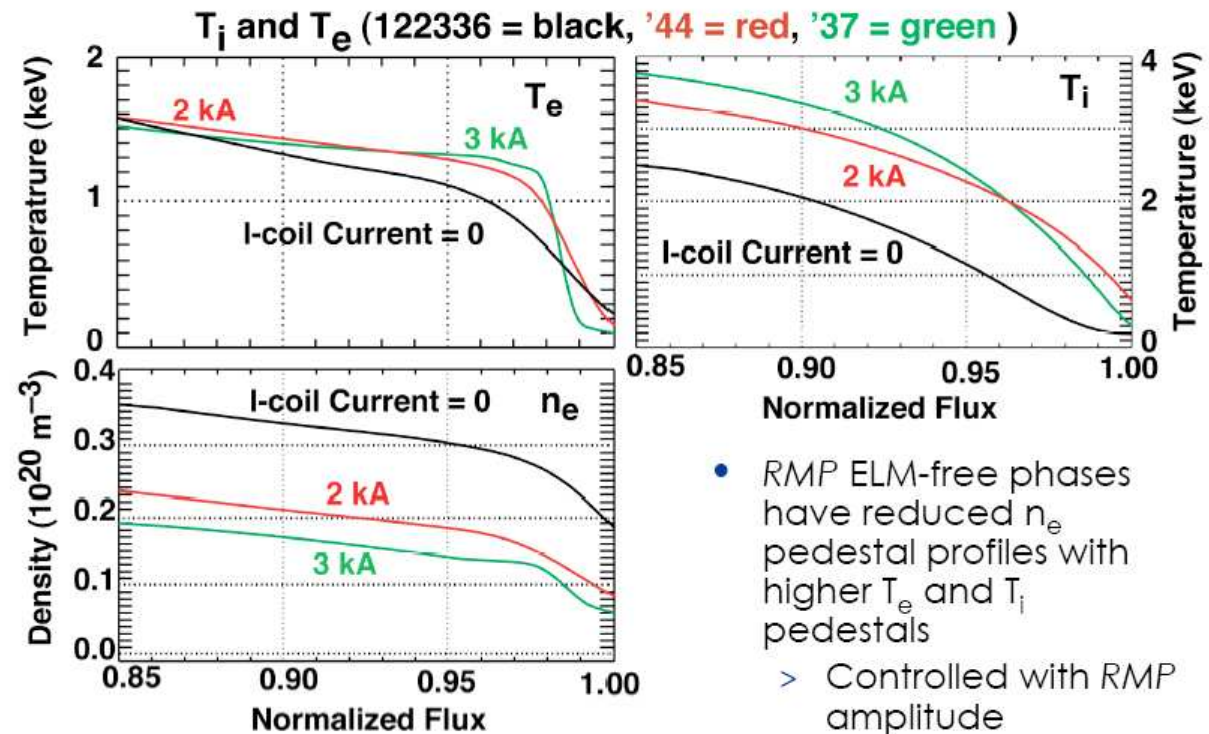
“Unusual” experimental results

1/4

■ Application of RMP results in density drop rather than in T_e drop!

■ Note that T_i increases with RMP so we can't say that electron thermal conductivity is not increased!

RMP controls pedestal without destroying H-mode



Even parity, low v_e^* , 0 kA, 2kA and 3 kA

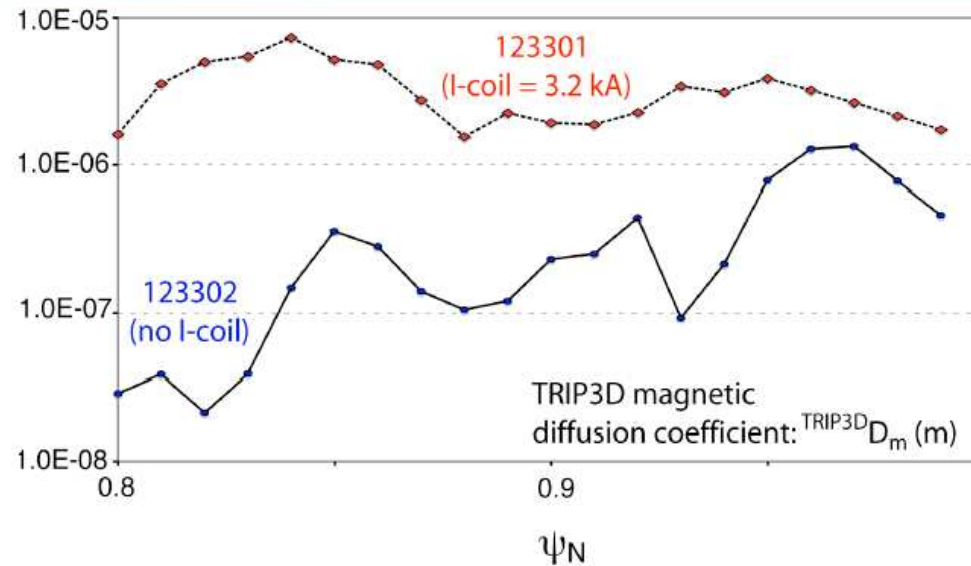
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“Unusual” experimental results

2/4

■ The level of calculated stochastic electron transport, induced by RMP, exceeds experimentally observed transport by 2 order of magnitude.

Calculated field line diffusion implies thermal diffusivity that is two orders of magnitude too large



C-coil and field-errors included in each case:
 I-coil = 3.2 kA (upper) and no I-coil (lower).

- At $\psi_N = 0.95$, $TRIP3D D_m = 3.9E-6 \text{ m}$ and $quasi-linear D_m = 3.5E-6 \text{ m}$:
 - > $quasi-linear \chi_e = v_{Te} D_m \sim 49 \text{ m}^2/\text{s}$ but to match experimental $T_{e,ped}^{simulation} \chi_e \sim 0.2 \text{ m}^2/\text{s}$
- Need more comprehensive edge RMP transport theory
 - > Is RMP screening due to plasma rotation or pressure a significant factor?



Even parity, 3.2 kA I-coil current, C-coil and field-error

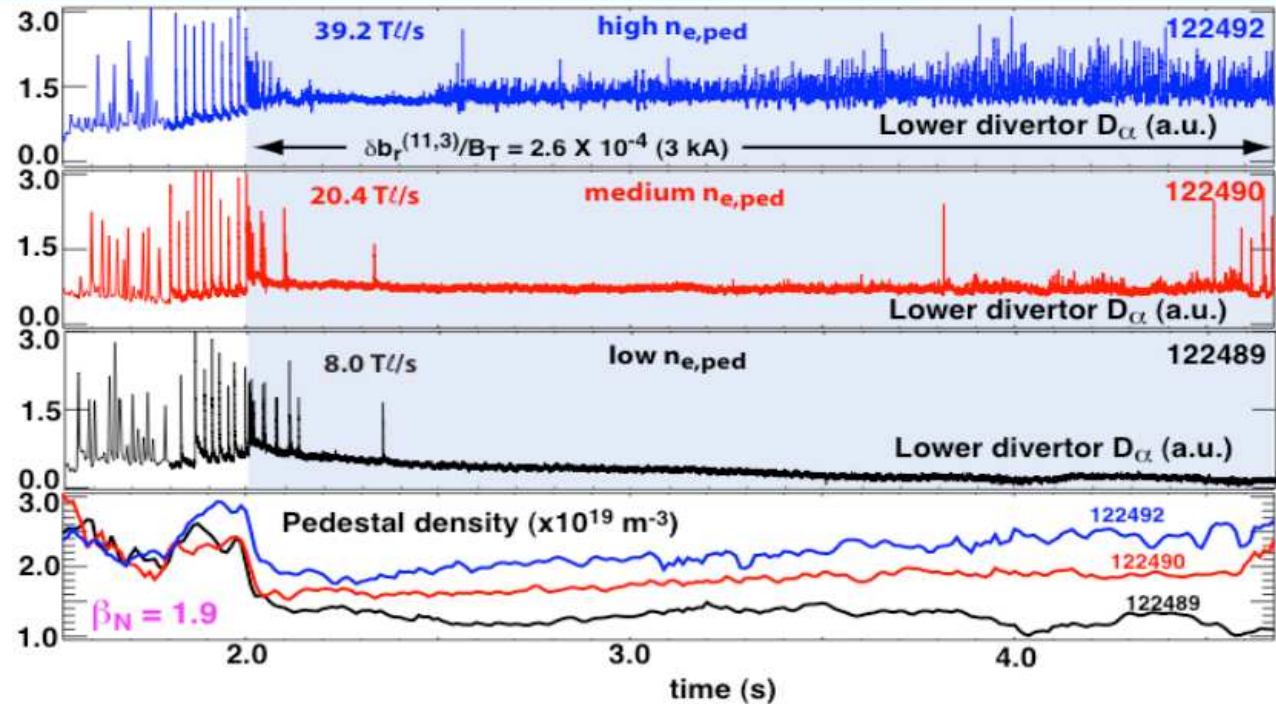
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“Unusual” experimental results

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Transition from ELMy to ELM-free H-mode goes through the stage with significantly increased ELM frequency, which is not expected from transport modelling.

ELMs eliminated below a critical pedestal density



- Small, high frequency ELMs return as pedestal n_e increases
 - > Similar to previous weak RMP (odd parity) with high n_e and v_e^*



Even parity, low v_e^* , high, medium and low $n_{e,ped}$
See: CPl.00008 - J. Watkins, et al.

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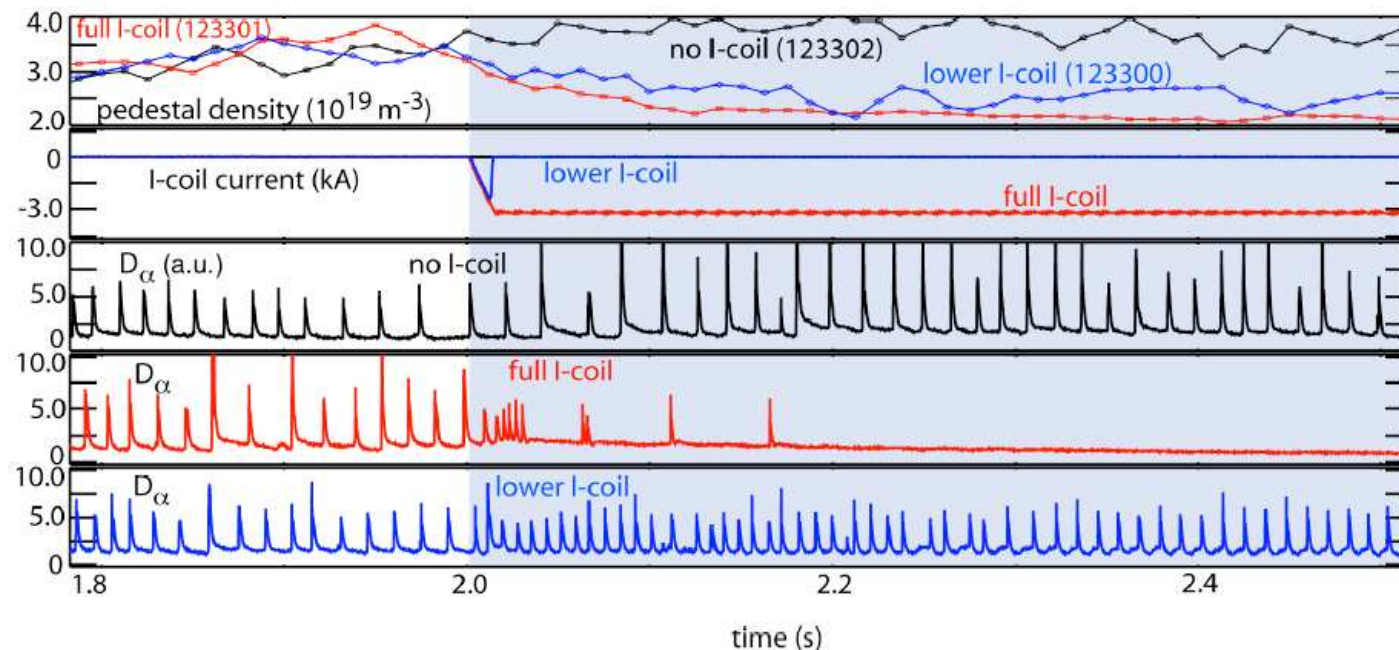
“Unusual” experimental results

4/4

Transition from ELMy to ELM-free H-mode goes through the stage with significantly increased ELM frequency, which is not expected from transport modelling;

There is plenty of other examples, which show the same trend (gas puff scan, ripple losses,...)

Both the upper and lower I-coil segments are needed to eliminate ELMs



- Pedestal density evolution is similar with lower half and full I-coil but ELMs are only eliminated when the full I-coil is used



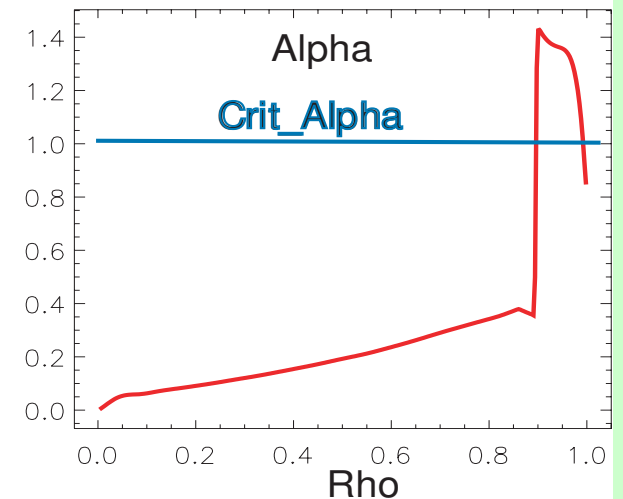
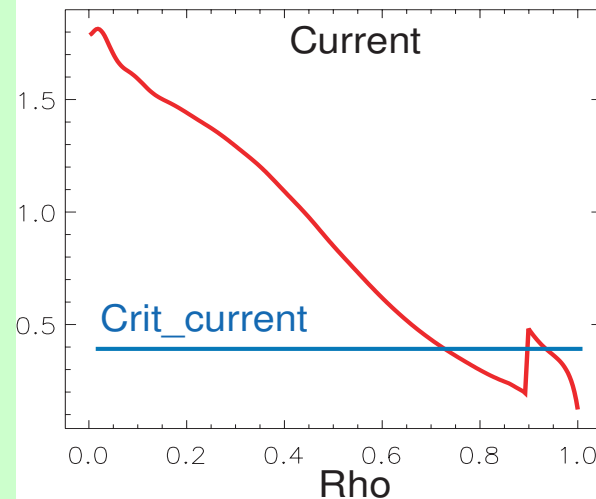
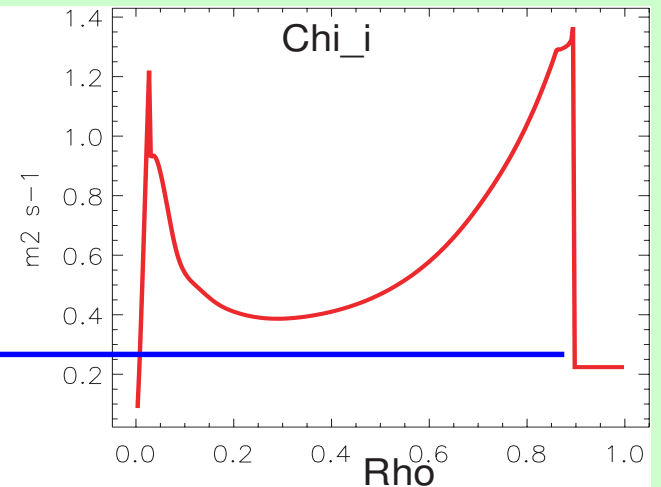
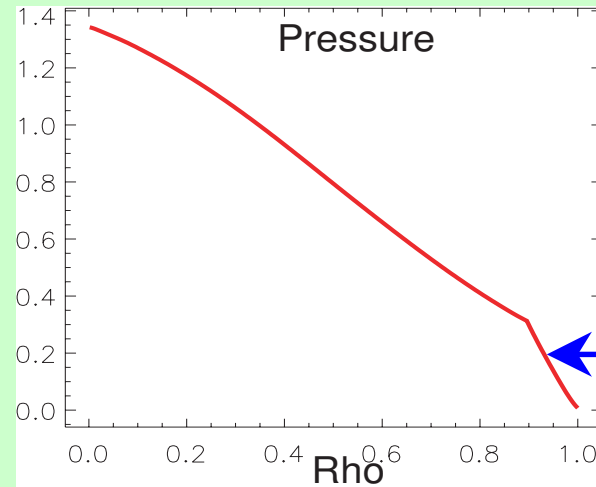
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ELM mitigation: prospective methods

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■ Since transport within the ETB is quite small, plasma develops strong pressure gradient to transmit heat flux through the ETB:

$$q \propto \chi \times \nabla nT$$





ELM mitigation: prospective methods

2/2

■ How can we mitigate ELMs or remove them entirely (without sacrificing performance, which means keeping $|\nabla nT| \leq |\nabla nT|_{CRIT}$)?

$$q \propto \chi \times \nabla nT$$

① Reduce the heat flux, **which enters ETB** (up to but not beyond the limit, which triggers transition to type-III ELMs):

- ① Increase radiated power (extra impurities at the edge);
- ② Increase CX losses (gas puffing?);

② Increase the heat flux through the ETB **between** ELMs by increasing thermal conductivity:

① Increase ion density (

$$\chi_i^{neo-cl} \propto n_i \cdot Z_{eff} / \sqrt{T_i} \cdot B_{pol}^2$$

- ② Increase transport by **magnetic ripples or ergodic magnetic limiter**;
- ③ Induce quasi-continuous benign MHD (EDA, type-II ELMs, washboard modes, pellets ???)



Ergodic transport and ELM modelling in JETTO

1/7

- To simulate ETB JETTO assumes that all kind of anomalous transport is eliminated within the specified region near the separatrix;
- The only remaining transport within the ETB is neo-classical plus additional transport due to either stochastic magnetic field or ripple;

$$\frac{\chi_{i,e}}{D} \approx \left(\frac{\chi_{i,e}}{D} \right)_{neo-cl} + \left(\frac{\chi_{i,e}}{D} \right)_{RMP} \left(\frac{\chi_{i,e}}{D} \right)_{Ripple}$$

- Sometimes we assume that anomalous transport is not fully suppressed within the ETB, we will indicate if this is the case;

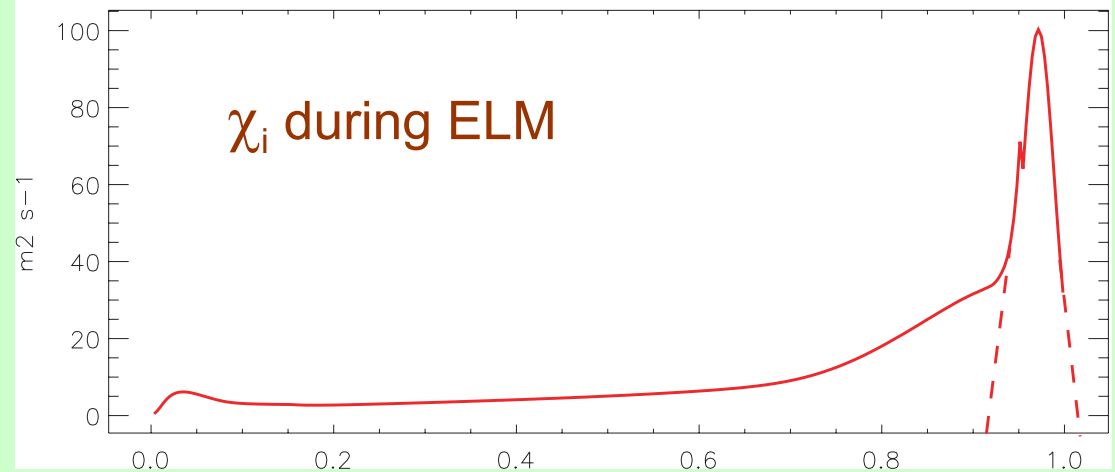
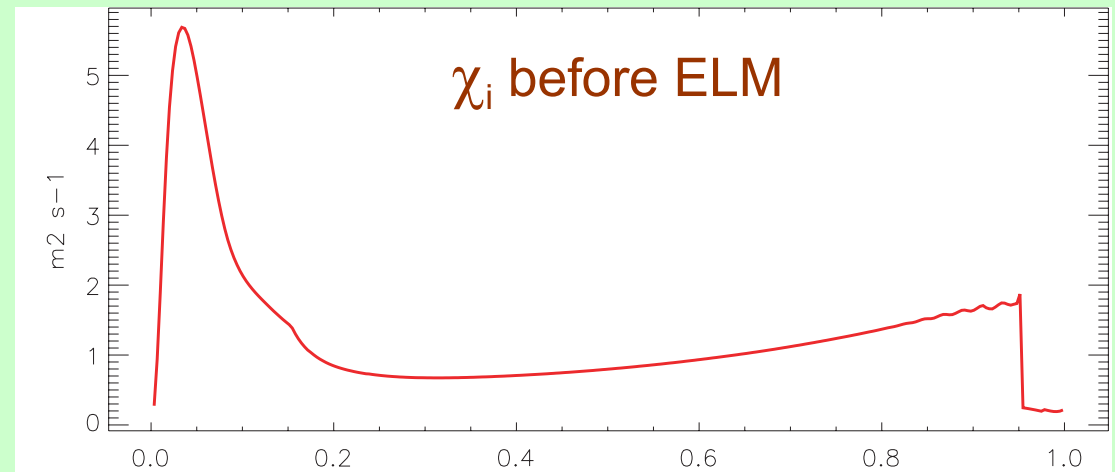
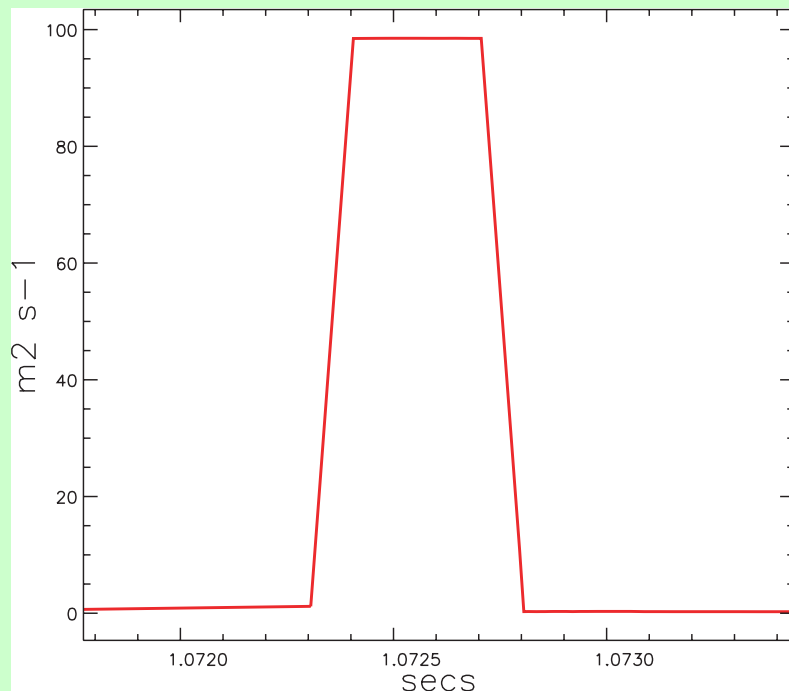


Ergodic transport and ELM modelling in JETTO

2/7

- Simple *ad hoc* model for ELM-induced transport is usually used in JETTO:

- ELM is triggered if ballooning or peeling mode stability criterion is violated;
- ELM amplitude, duration and localisation are prescribed by user:

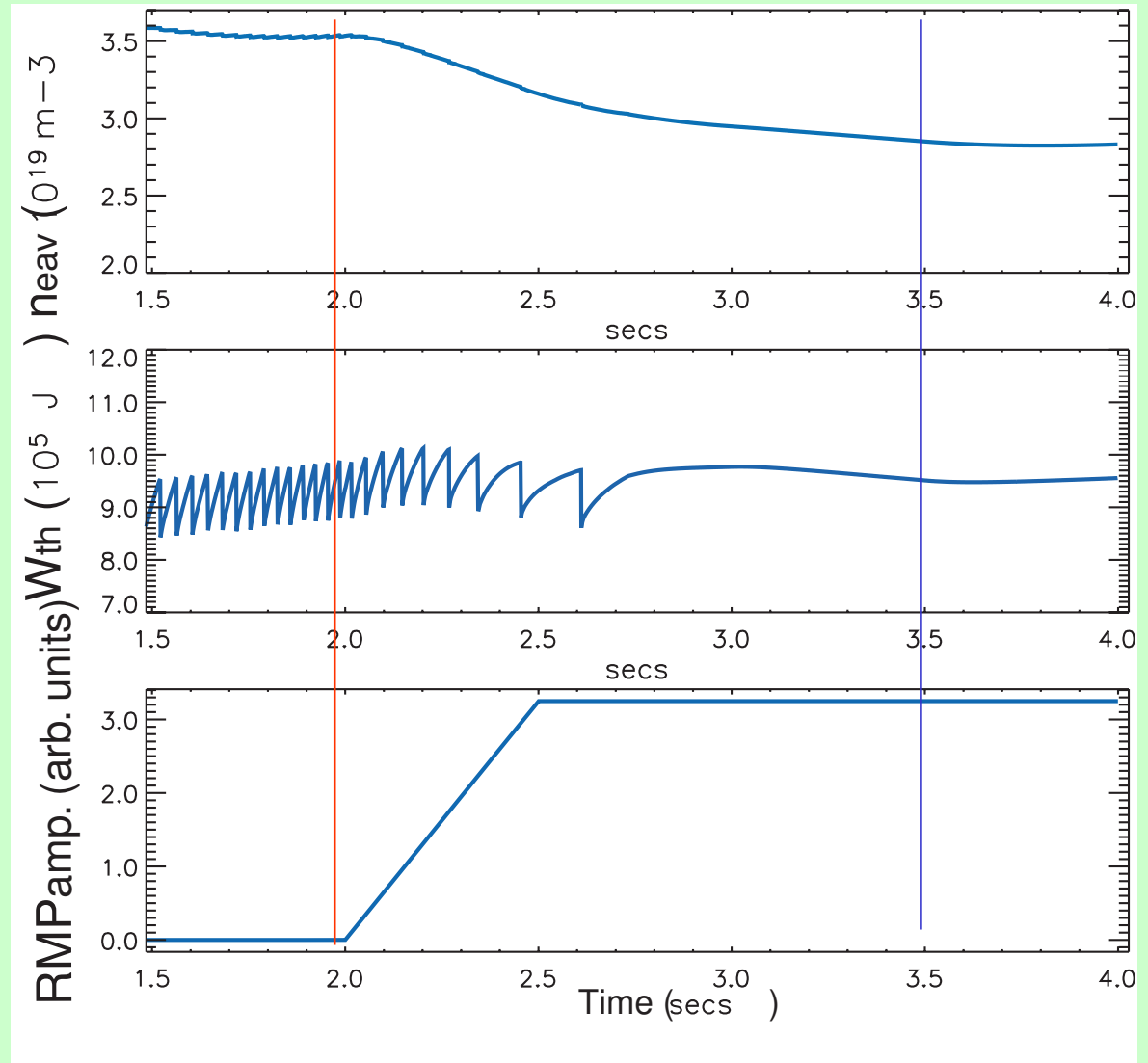




Ergodic transport and ELM modelling in JETTO

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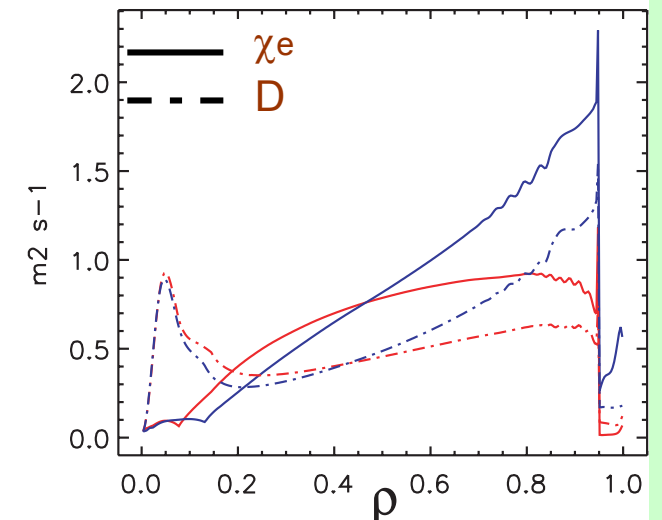
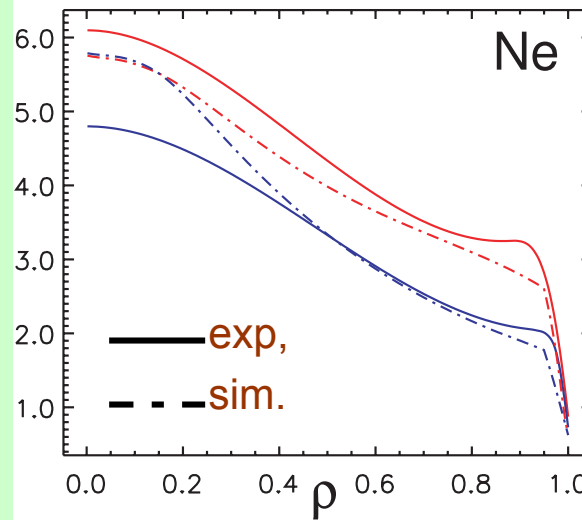
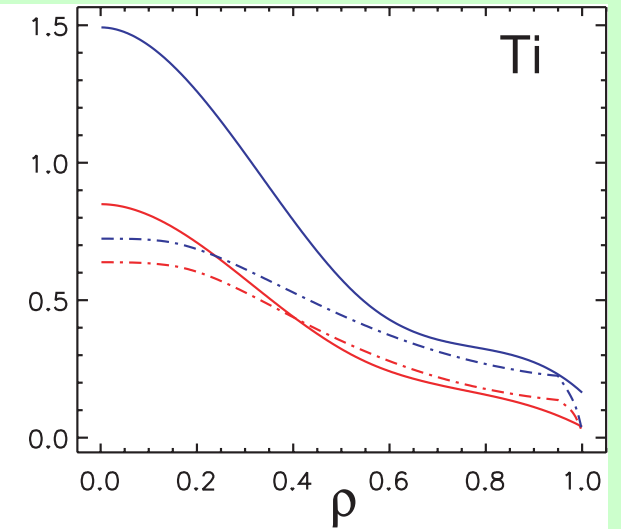
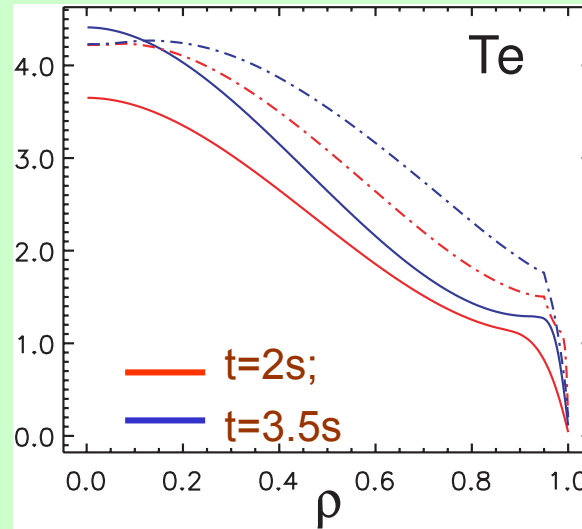
- Using abovementioned transport model, we manage to reproduce experimentally observed temporal evolution of DIII-D plasma with RMP;
- To reproduce density drop we should assume wall recycling $R=0.95$;
- BUT, we should assume that $R=1$ DURING ELMS!:



Ergodic transport and ELM modelling in JETTO

4/7

- Generally, we also reproduce profiles (apart from ITB);
- To reproduce correctly density and temperature profiles in RMP plasma we should scale stochastic transport down to $\chi_e^{stoch} \leq 0.4 m^2/s$ within the ETB;
- We can **not** reproduce an increase in ELM frequency before transition to ELM-free H-mode;





Ergodic transport and ELM modelling in JETTO

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- Two questions remain unanswered:
 - Why stochastic transport is much less than predicted by theory?
 - How we can reproduce a non-monotonous behaviour of ELM frequency with RMP amplitude?
- The answer on first question most probably lies in plasma rotation, which can partially screen radial magnetic field;
- This might lead to less overlapping islands (particularly inside ETB), which should reduce the level of stochastic transport.
- To find if screening is important, we have done the following estimate (C. Gimblett and J. Hastie):



Ergodic transport and ELM modelling in JETTO

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- Radial magnetic field screening by rotating plasma was considered in a simple Visco-Resistive approximation in a cylindrical plasma (R. Fitzpatrick, PoP 1998, 2006):

$$B_r = \frac{\tilde{B}_{r,vac}}{\sqrt{1 + \left(\frac{\Omega \tau_L}{2m}\right)^2}}$$

Where Ω is local toroidal rotation frequency,

τ_L - visco-resistive layer time: $\tau_L = 2(6 \tau_A)^{2/3} \tau_\eta^{2/3} \tau_V^{-1/3}$;

$\tau_L = R/V_a n_s$ - Alfvén time; $\tau_\eta = \mu_0 r_s^2 / \eta$ - resistive time;

$\tau_V = \rho r_s^2 / \mu$ - viscous time;

Please note that $\Omega \tau_L / 2m \approx 0.15$ at $\rho = 0.97$ but it scales as:

$\Omega \tau_L / 2m \sim \Omega / m \times (n_e / s^2)^{1/3} \times T \mu^{1/3}$ and it increases 20 times when ρ decreases from $\rho = 0.97$ to $\rho = 0.9$.

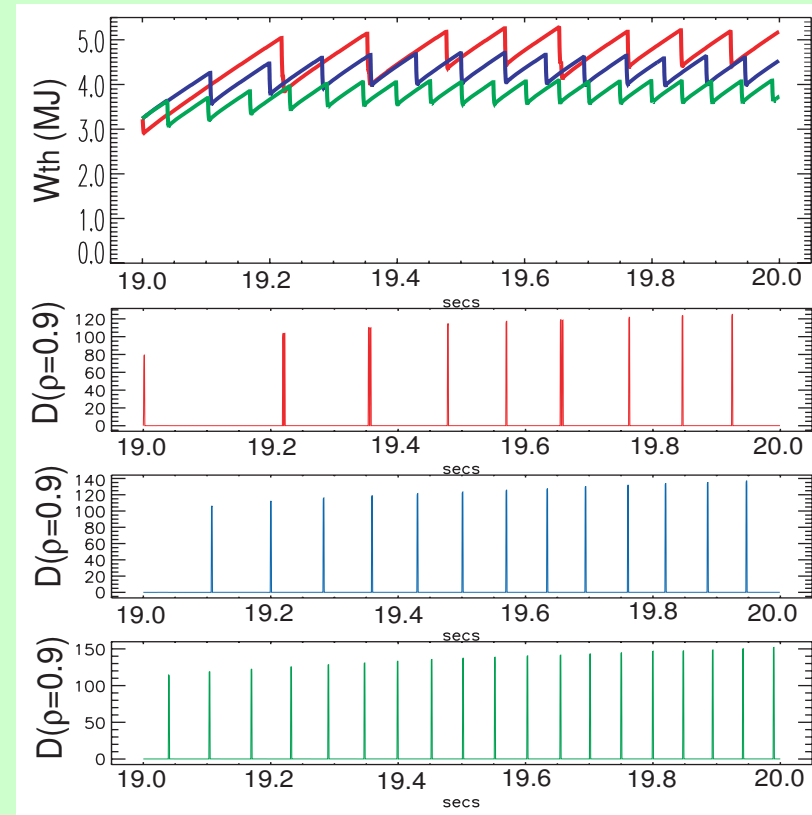
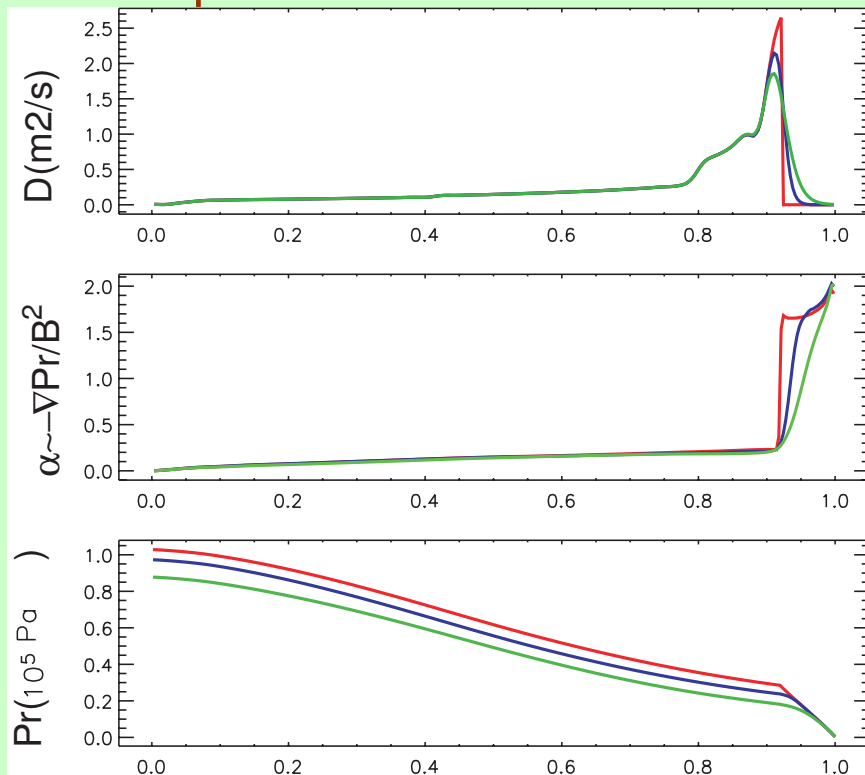
Therefore there is a room for magnetic field screening in real experiment!



Ergodic transport and ELM modelling in JETTO

7/7

- Non-monotonic evolution of ELM frequency with RMP amplitude might be explained by the non-uniformity of plasma parameters within the ETB;
- In first place this non-uniformity relates to a non-uniformity of residual transport within the barrier:





Summary

- Qualitatively developed model of stochastic transport reproduce the main experimentally observed trends;
- More theoretical analysis should be done in order to clarify ergodic magnetic field screening by plasma rotation;
- Transport properties within ETB can dramatically influence ELM behaviour;
- Non-linear ELM model is needed to validate the simplified *ad hoc* assumptions, made in predictive modelling;



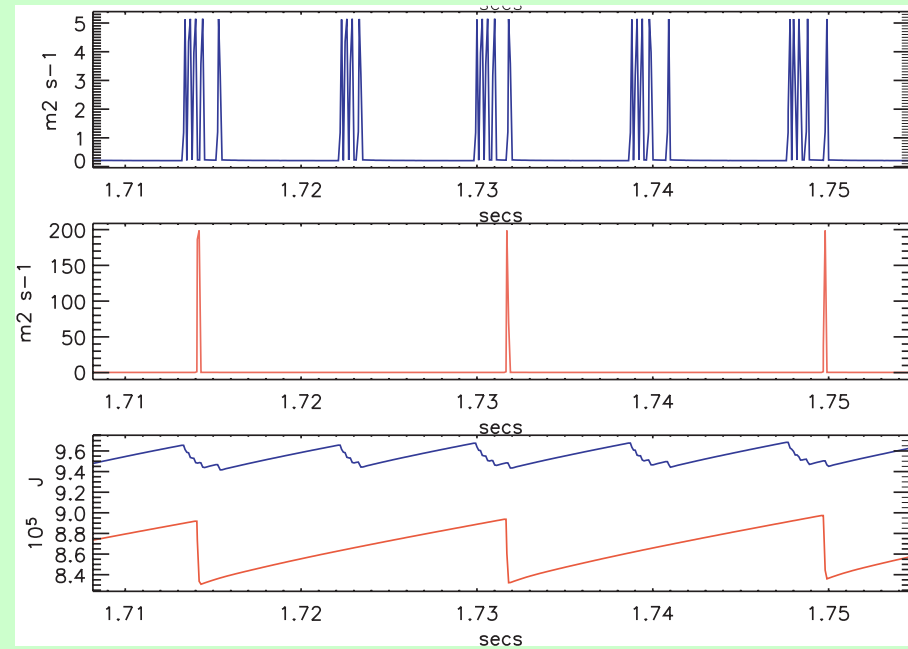
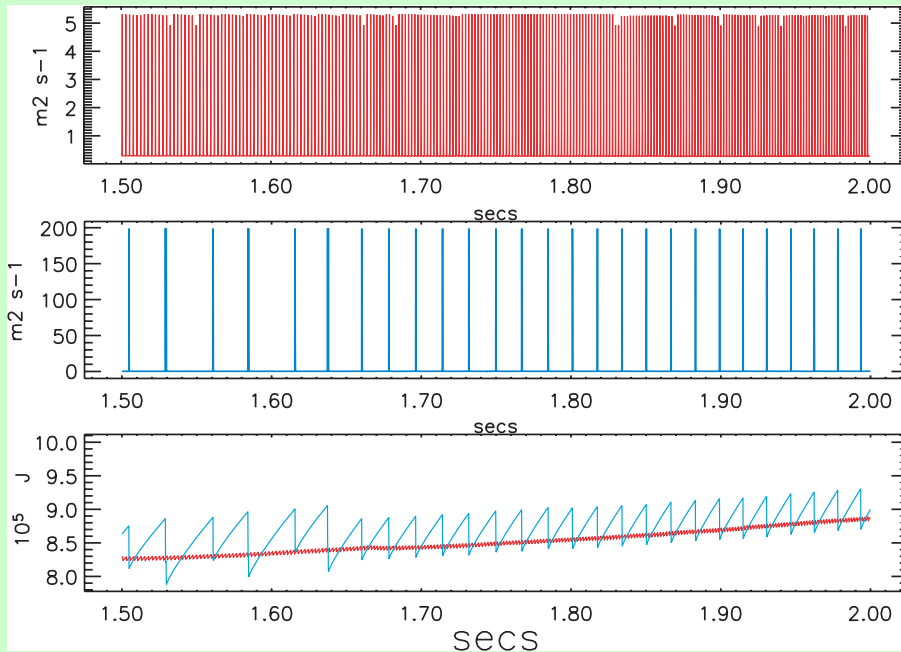
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Predictive Transport Modelling

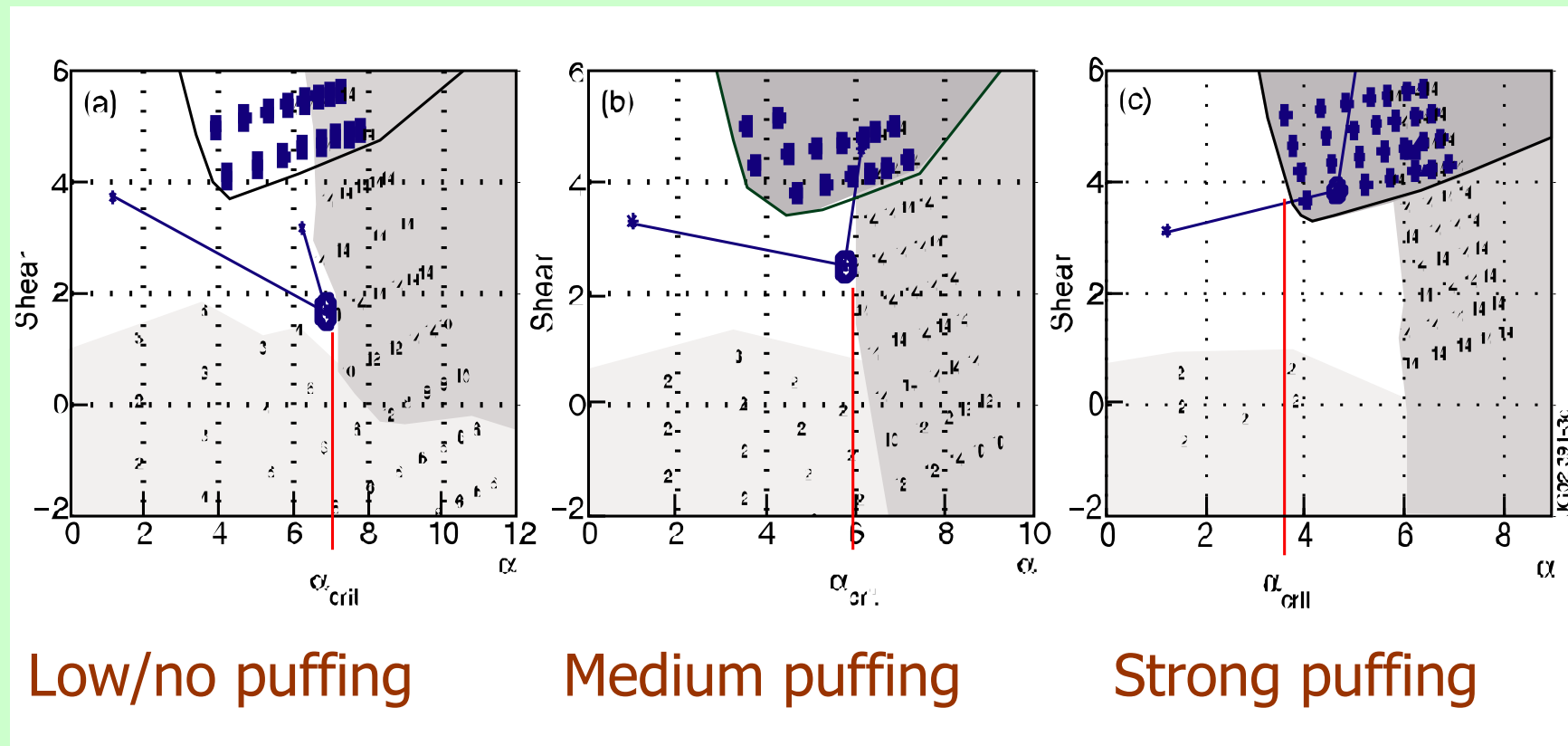
1/3

- If we would like to study how ELM frequency depends on plasma parameters, we shorten the duration of ELM and/or reduce its amplitude;
- Two distinctly different situations have been identified depending on heat and particle transport distribution within the ETB:
 - ① ELM frequency remain relatively unchanged when ELM amplitude is reduced but each ELM is getting composed of several short events;
 - ② ELM frequency increases inversely proportional to ELM amplitude/duration;



Possible causes for ELM variability- transport within ETB 1/2

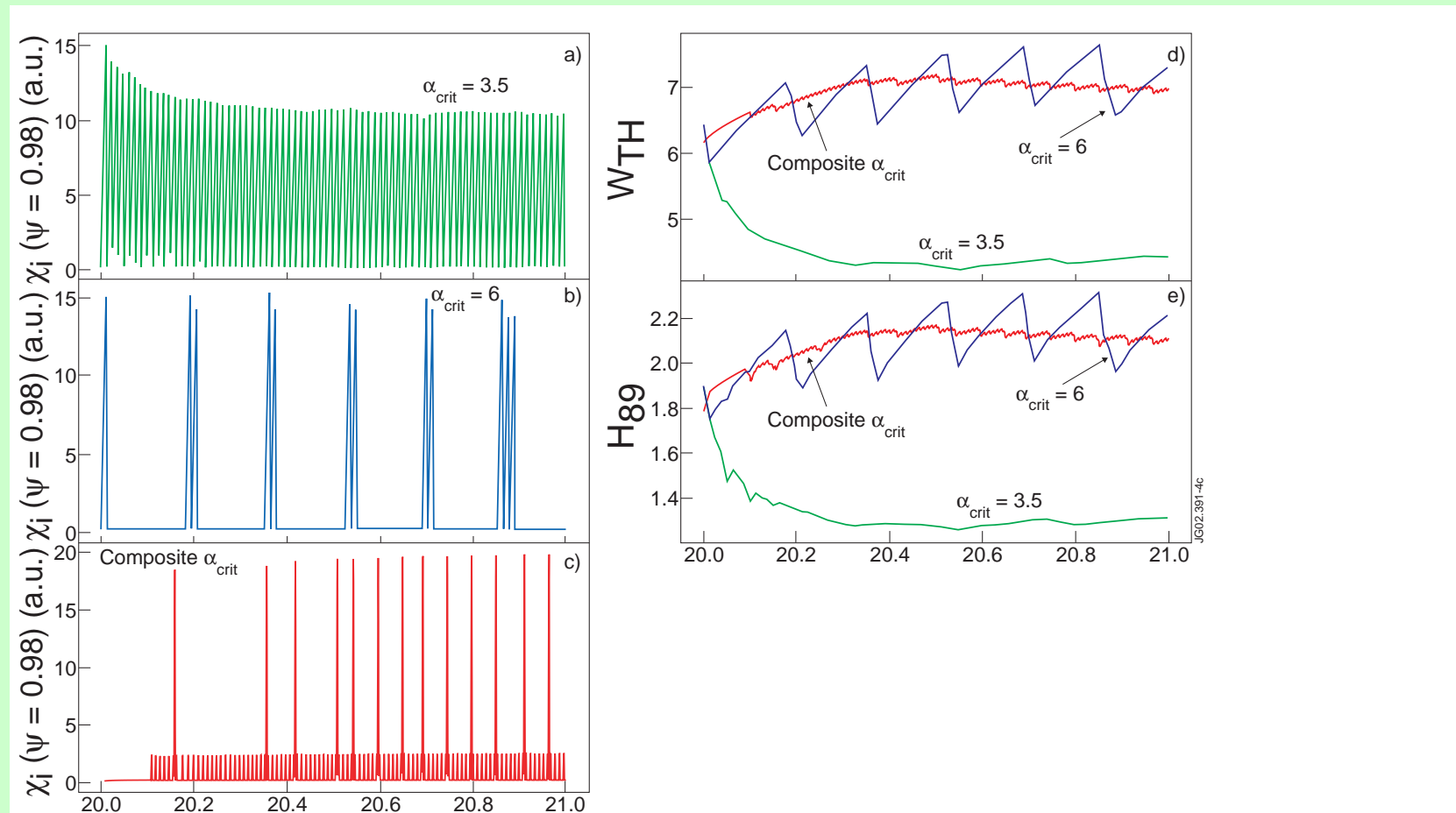
- Predictive transport modelling with JETTO and EDGE2D show that external gas puffing changes collisionality within ETB;
- This changes bootstrap current, which directly influences position of the operational point (J. Lonroth et al., PPCF, 2004)



Possible causes for ELM variability- transport within ETB

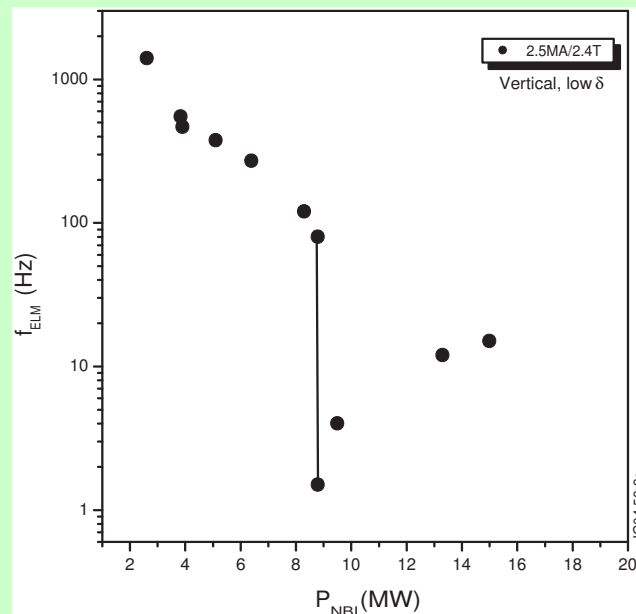
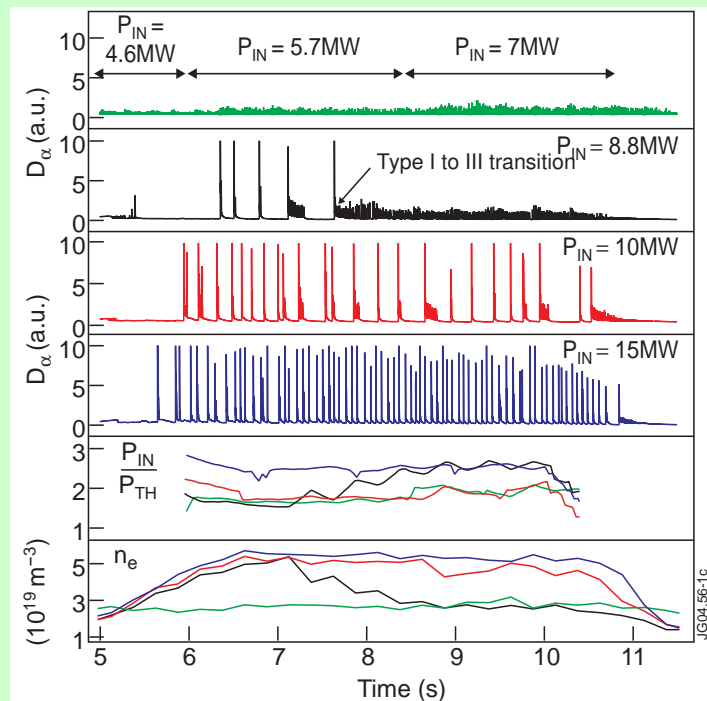
2/2

- This allowed us to explain the observed difference between ELMs amplitude and frequency;

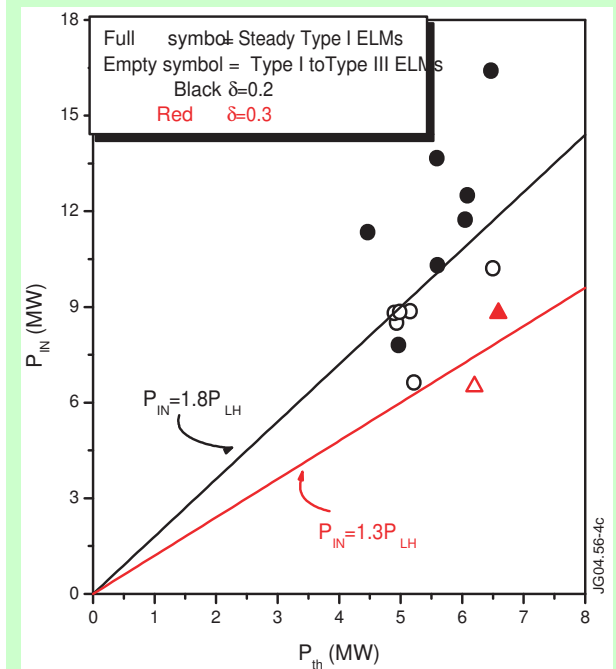


Non-uniform transport within ETB: can it be part of the explanation of a transition from type-I to type-III ELMs?

- Experiment shows that when heating power exceeds L-H transition threshold, plasma develops small, high frequency type-III ELMs (poor quality ETB?);
- Further increase in the heating power above the level $P_{III-I} \approx 2P_{L-H}$ triggers transition to high quality type-I ELMy H-mode (good quality ETB?)



R. Sartori et al., PPCF 2004





Why ripple transport might be important for H-mode 3/3

■ If transition to type-I ELMs corresponds to a condition that the shearing rate

ω_{ExB} , which is generated by the heat flux through the edge barrier P_{loss} exceeds the growth rate of a resistive interchange instability γ_{RIM} (O. Pogutse et al, EPS 1999), one can obtain:

$$\omega_{ExB} \propto \nabla \frac{\nabla n T}{n B} \propto \nabla \frac{P_{Loss}}{\chi_i^{coll} \cdot n B} \geq \gamma_{RIM}$$

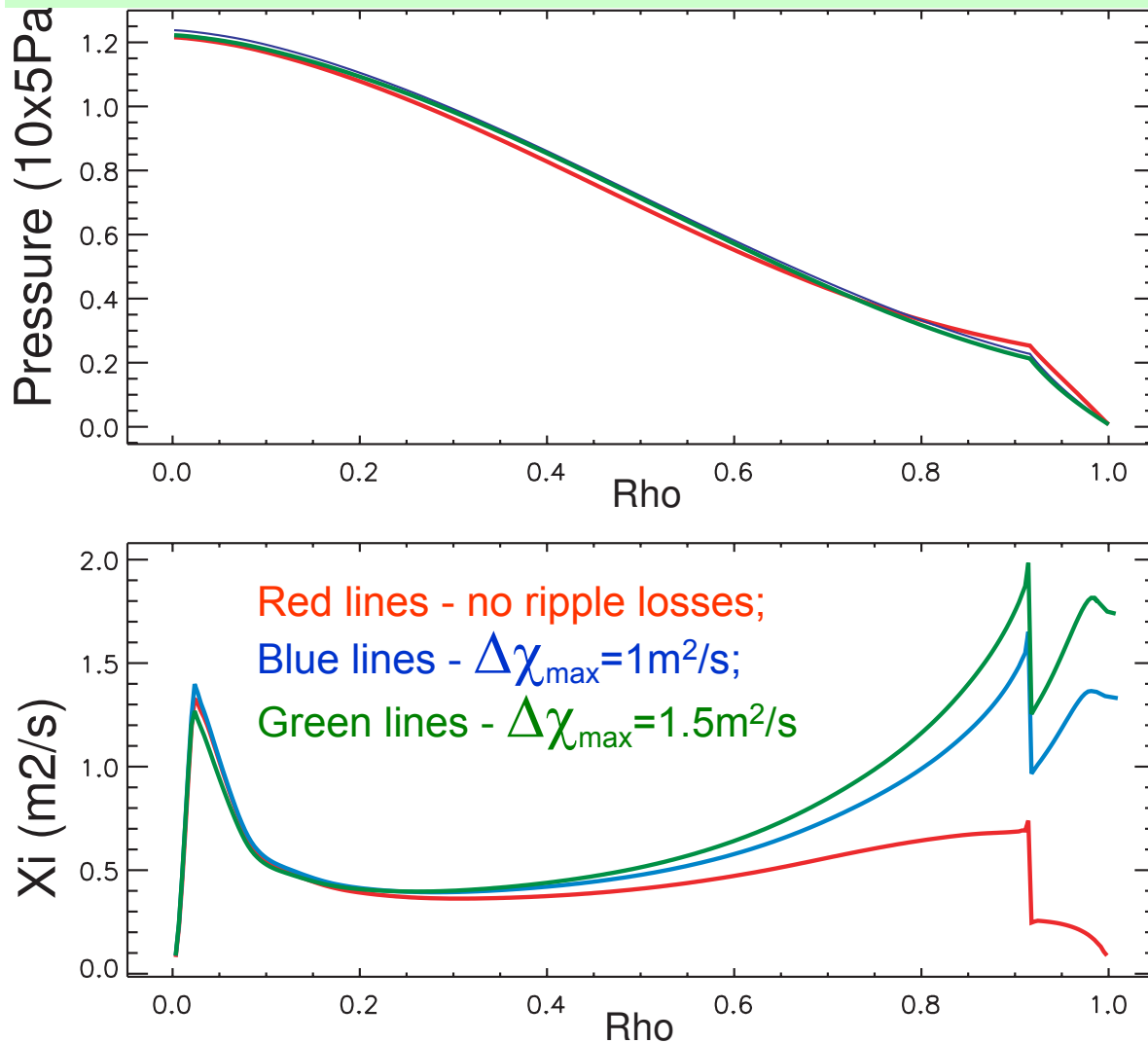
■ which leads to a dependence of the power threshold on the level of ripple losses

since $\chi_{coll} = \chi_{neo} + \chi_{ripple}$;

■ Finally ripple losses generate radial current, which should induce counter-B plasma rotation (observed in experiment);



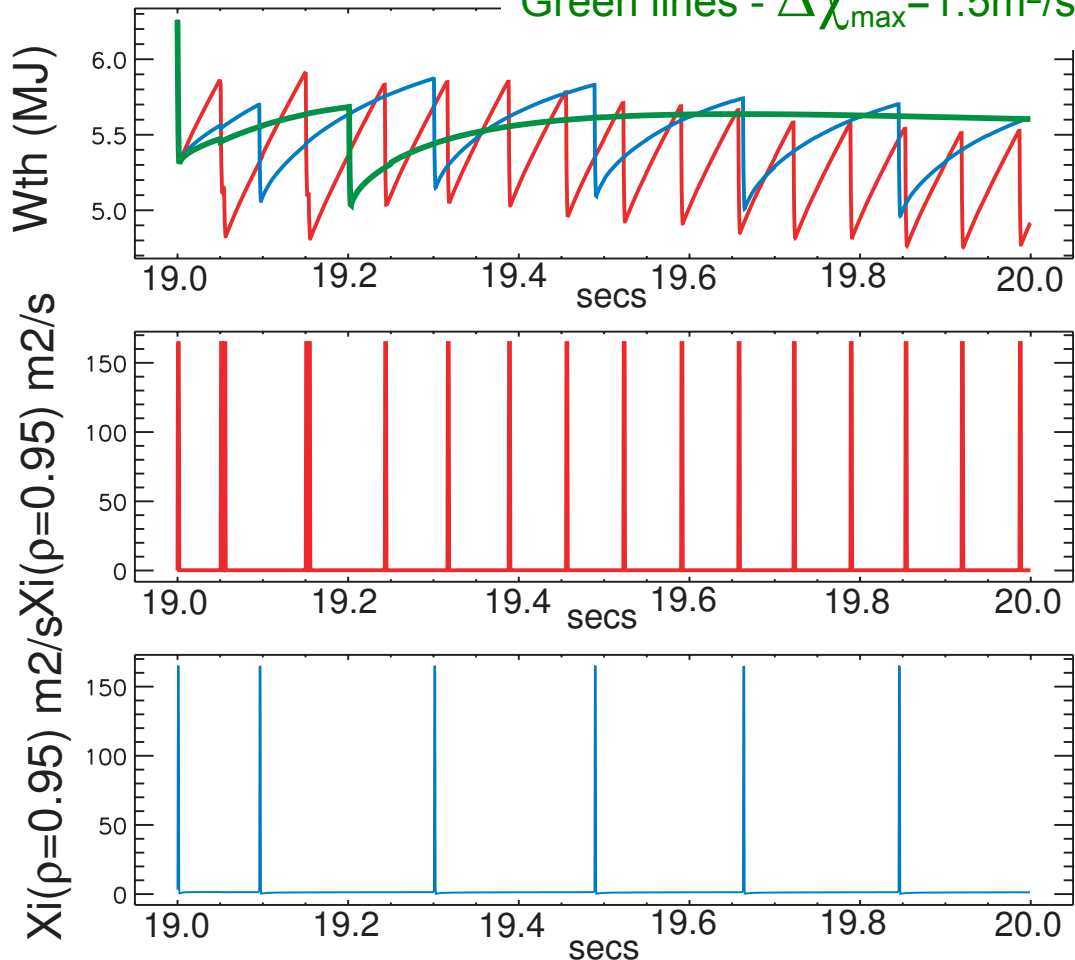
Predictive modelling of JET plasma with ripple losses



- We assume that ripple losses are diffusive with **wide ripple** localisation;
- since transport is nearly uniform within ETB, pressure profile **just before ELM** is practically the same for all levels of ripple losses;
- What is different however it's the ELM frequency, which goes down when we increase ripple transport;

Predictive modelling of JET plasma with ripple losses

Red lines - no ripple losses;
 Blue lines - $\Delta\chi_{\max}=1\text{m}^2/\text{s}$;
 Green lines - $\Delta\chi_{\max}=1.5\text{m}^2/\text{s}$

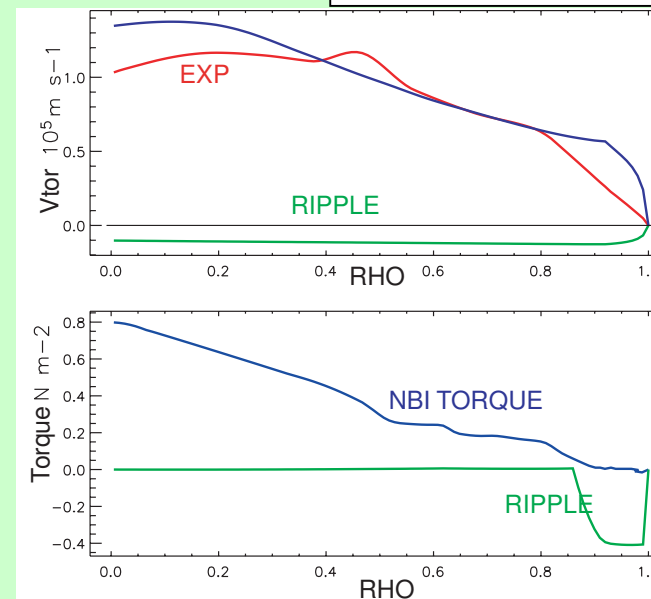
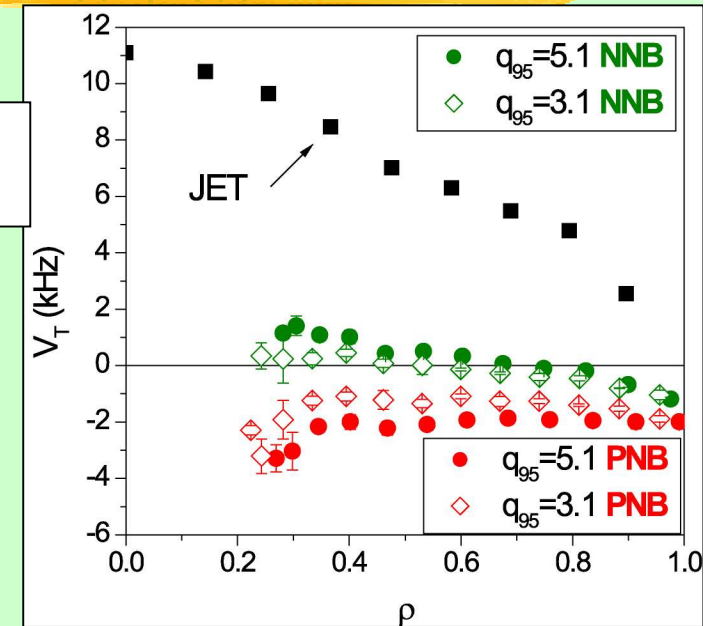


- The ELM frequency decreases due to larger edge losses between ELMs with increased ripple transport;
- The time-average pressure and plasma energy content increase with increased ripple losses (even if max. pressure stays the same);
- *A reduction in the ELM frequency and rise in the energy content were seen in JET ripple experiments in 1995;*
- *This result resembles the improved performance obtained with a stochastic magnetic boundary in DIII-D (T. Evans et al., 2004 IAEA Fusion Energy Conference).*

Predictive modelling of plasma rotation

G. Saibene et al.
IAEA, 2004

- Ripple losses of fast and thermal ions generate toroidal torque, which spins the plasma up in counter-B direction;
- Anomalous viscosity (of the order of ion thermal conductivity) has been used in these simulations to propagate negative plasma rotation to the core;
- Toroidal velocity, calculated with the maximum ripple and without NBI torque reproduces qualitatively velocity profile, observed in JT-60U plasmas with PNB;





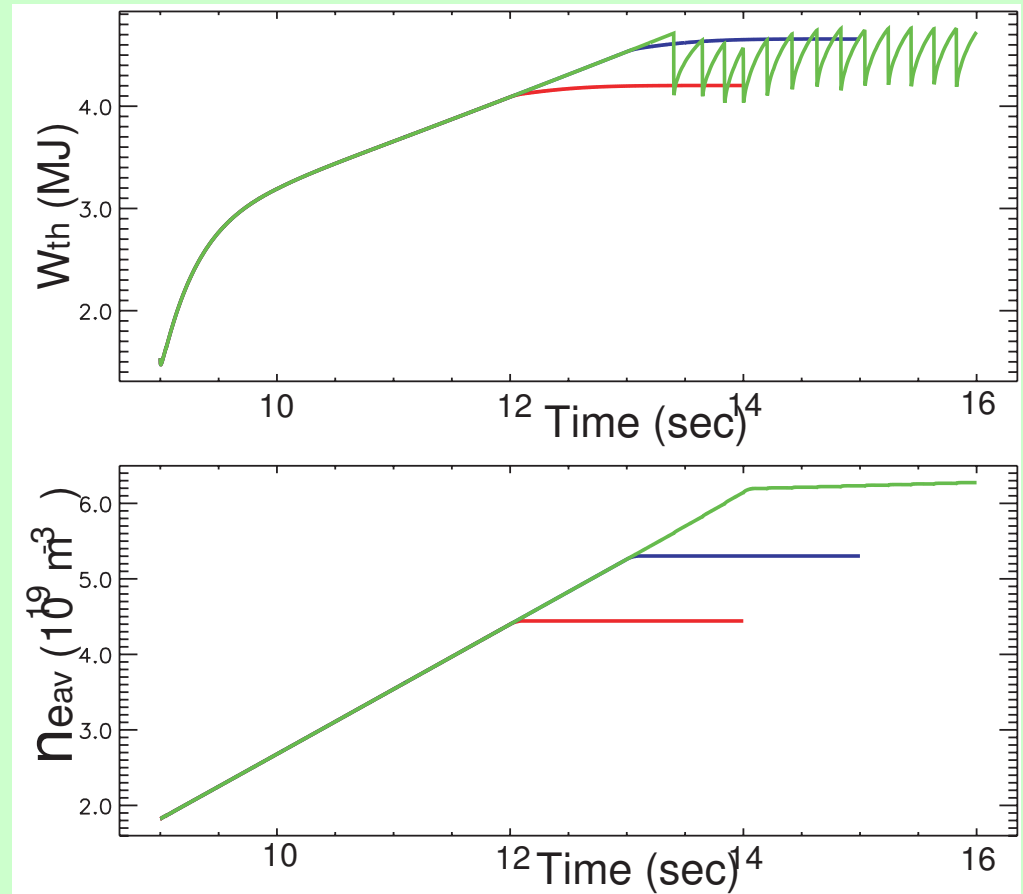
Ripple transport versus stochastic magnetic field 2/3

It is worth noting that the dependence of stochastic transport on plasma density and temperature is exactly opposite to that of the neo-classical transport:

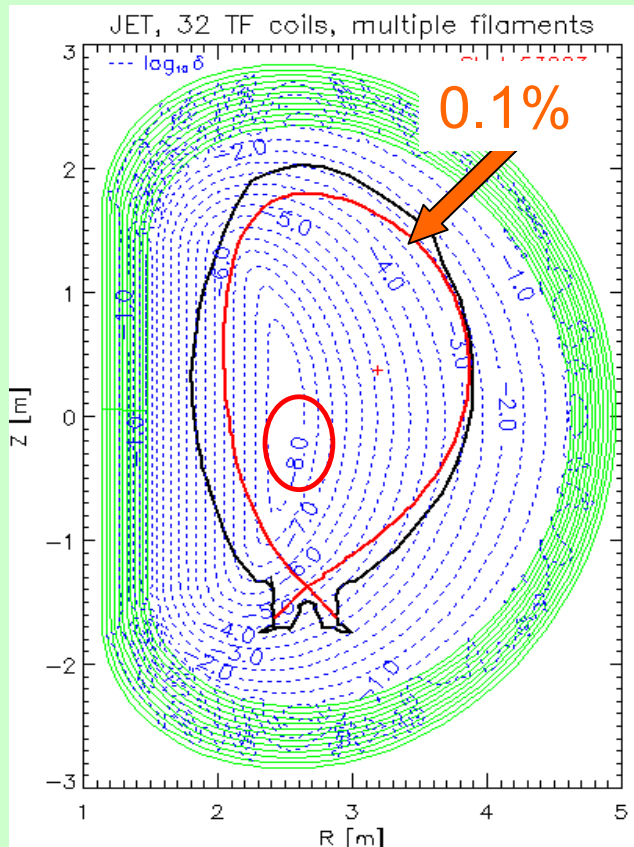
$$\chi_e^{stoch} \propto \left| \frac{B_r}{B_0} \right|^2 \cdot \frac{T_e^{5/2}}{n_e};$$

$$\chi_i^{neo} \propto \frac{n_i}{\sqrt{T_i}}$$

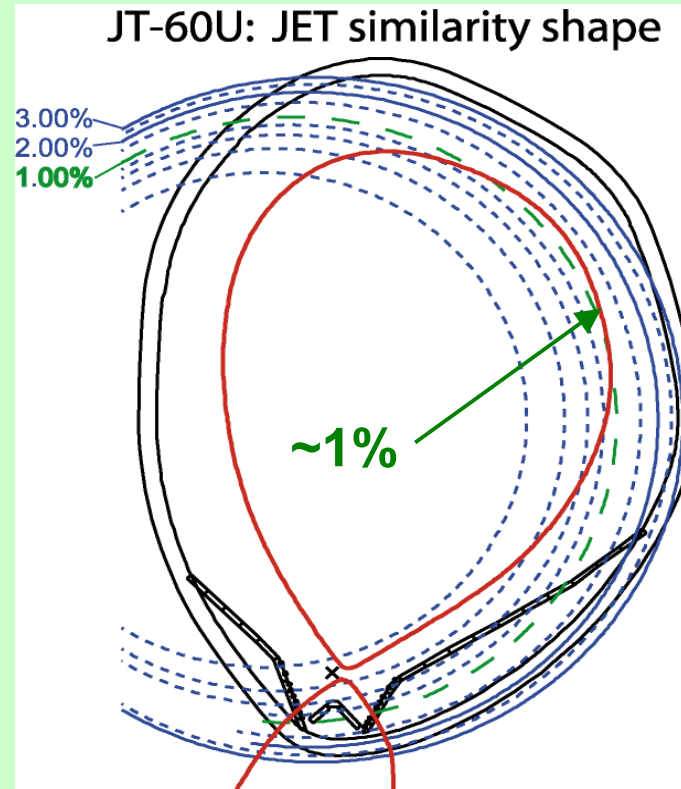
This means, for example, that stochastic limiter can provide a steady state ELM-free H-mode at low density (which is not possible with the neo-classical transport);



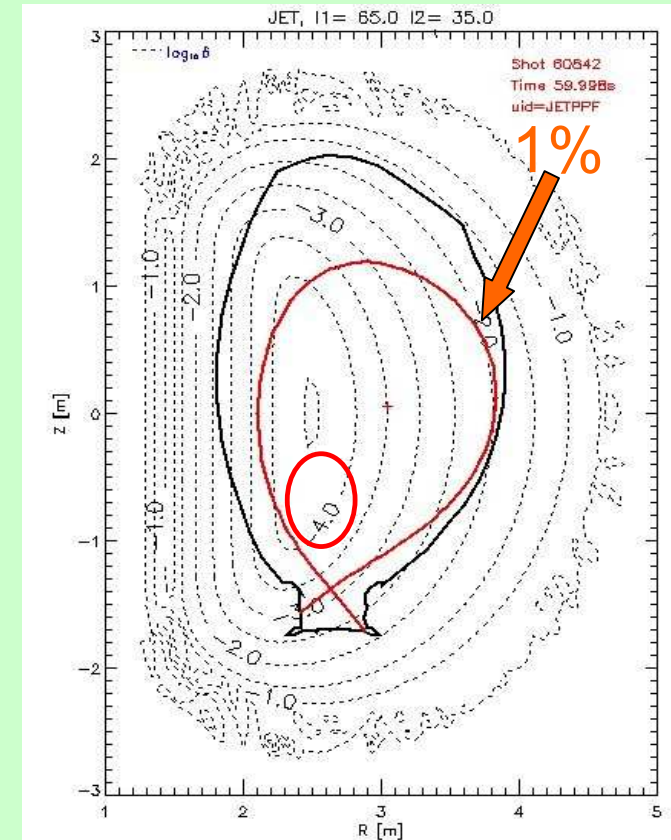
JET 32 coils: ripple is
~0.1%



JT-60U: JET similarity shape



JET: JT60-U shape
and $0.3 \delta/\delta_{16}$



Note: for the same ripple, fast ion losses may be different (NB - ICRF). In JT-60U losses are high also because NB are \perp